## Supplementary

## **Equation and explanation**

1. 
$$Cp = \sum_{i \in N} \frac{2ti}{ki(ki-1)}$$

The clustering coefficient was regarded as the probability of finding a connection between any two neighbors of node *i*,  $k_i$  is the degree of node *i*, and  $t_i$  is the number of closed triangles attached to *i* (44).

2. 
$$Lp = \frac{1}{N} \sum_{i} li = \frac{1}{N(N-1)} \sum_{i \neq j} lij$$

 $l_i$  is the average shortest path length from node *i* to all other nodes and  $l_{ij}$  is the shortest path length from node *j* to node *i*, which is computed with Dijkstra's algorithm or one of its variants. This formulation is applicable to both directed and undirected networks (44).

3. 
$$\gamma = \frac{Cp}{Cprand}$$

 $Cp_{rand}$  is the average clustering coefficient computed in an ensemble of randomized surrogate networks (44).

4. 
$$\lambda = \frac{Lp}{Lprand}$$

Lp is the average shortest path length between nodes in the network.  $Lp_{rand}$  is the average shortest path length computed in an ensemble of randomized surrogate networks (44).

5. 
$$\sigma = \frac{\gamma}{\lambda}$$

This index is a ratio of the normalized clustering and path length measures (44).

6. 
$$Eglob = \frac{1}{N(N-1)} \sum_{i \neq j} \frac{1}{lij}$$

*Eglob* is the reciprocal of the harmonic mean of its path lengths (44). G*i* denotes the subgraph comprising all nodes that are immediate neighbors of the *itb* node (44).

7. 
$$Eloc = \frac{1}{NGi(NGi-1)} \sum_{j,h \in Gi} \frac{1}{jh'}$$

## References

44. Fornito A, Zalesky A, Bullmore E. Fundamentals of brain network analysis: Academic Press; 2016.



Figure S1 Automated anatomical labeling (AAL) atlas. Different colors represent different regions. L = left; R = right; P=Posterior; A = anterior.

Table S1 Brief introduction of network metrics

Network metrics	Definition
Clustering coefficient (Cp)	A measure of network average local density
Characteristic path length (Lp)	The average of the shortest path lengths between any pair of nodes in the network.
Normalized $Cp(\gamma)$	The ratio of the Cp between real and random networks
Normalized $Lp(\lambda)$	The ratio of the Lp between real and random networks
Small-worldness (σ)	Scalar quantitative measurement of the small-wordness of a network
Global efficiency (Eglob)	A measure of the global efficiency of parallel information transfer in the network
Local efficiency (Eloc)	A measure of the fault tolerance of the network